

B TECH
(SEM-III) THEORY EXAMINATION, 2018-19
SIGNALS AND SYSTEMS

Time: 3 Hours

Total Marks: 70

Note: 1. Attempt all Sections. If require any missing data; then choose suitably.

SECTION A

1. Attempt *all* questions in brief. 2 x 7 = 14
- Distinguish between energy and power signal.
 - define power spectral density
 - Explain significance of convolution in a communication system.
 - What are advantages of Laplace transform?
 - What are the limitations of Fourier transform?
 - define a signal
 - What is interpolation in sampling?

SECTION B

2. Attempt any *three* of the following: 7 x 3 = 21
- Classify signals according to signal characteristics.
 - Explain the principle of linearity of DT system.
 - Explain the following properties of Fourier transform: time scaling, conjugate functions.
 - state and prove initial and final value theorem of Laplace transform
 - State and prove sampling theorem

SECTION C

3. Attempt any *one* part of the following: 7 x 1 = 7
- What is Shannon's sampling theorem? Also discuss aliasing by taking an example.
 - Explain the impulse train sampling of discrete time signals.
4. Attempt any *one* part of the following: 7 x 1 = 7
- State whether the following signals $x(t)$ is periodic or not, giving reasons. If it is periodic, find the corresponding period.
 $X(t) = 2 \cos 100 \pi t + 5 \sin 50 t$
 - for an LTI system with unit impulse response $h(t) = e^{-2t} u(t)$.determine the output to the input $x(t) = e^{-t} u(t)$
5. Attempt any *one* part of the following: 7 x 1 = 7
- Find the energy spectral density of $f(t) = e^{-st} u(t)$
 - Find impulse response of system described by the equation $2y'(t) + 3y(t) = x(t)$
6. Attempt any *one* part of the following: 7 x 1 = 7
- State and prove frequency shifting theorem of DTFT.
 - Explain Fourier transform of single sided exponential pulse.
7. Attempt any *one* part of the following: 7 x 1 = 7
- Find Laplace transform of following signal and Draw ROC $x(t) = \cos(3t + \pi/4) u(t)$
 - Determine z transform of : $x(n) = \sin \omega_0 n u(n)$